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LifeTime-aware Backpressure - a new delay-enhanced Backpressure-based routing protocol

Abdelbaset Kabou, Nadia Nouali-Taboudjemmat, Soufiene Djahel, Saïd Yahiaoui, Omar Nouali

Abstract—Dynamic Backpressure is a highly desirable family of routing protocols known for their attractive mathematical properties. However, these protocols suffer from a high end-to-end delay making them inefficient for real-time traffic with strict end-to-end delay requirements. In this paper, we address this issue by proposing a new adjustable and fully distributed Backpressure-based scheme with low queue management complexity, named LifeTime-Aware BackPressure (LTA-BP). The novelty in the proposed scheme consists in introducing the urgency level as a new metric for service differentiation among the competing traffic flows in the network. Our scheme not just significantly improves the quality of service provided for real-time traffic with stringent end-to-end delay constraints, but interestingly protects also the flows with softer delay requirements from being totally starved. The proposed scheme has been evaluated and compared against other state of the art routing protocol, using computer simulation, and the obtained results show its superiority in terms of the achieved end-to-end delay and throughput.

Index Terms—Wireless networks, Backpressure routing, Quality of Service, End-to-end delay

I. INTRODUCTION

Nowadays, real-time applications are gaining a rapidly growing popularity and being used in various domains ranging from military and aerospace industry to transportation and healthcare systems. In Internet and multi-media, an unprecedented growth of real-time applications deployment is observed due to the emergence of VoIP (Voice over IP) type communication paradigm, in addition to video conferencing and streaming. Such applications can be used for infotainment purposes as well as for more life-critical situations such as in military operations, disaster relief and other mission critical scenarios [1].

Apart from the high throughput requirement, temporal aspects in these life-critical scenarios have a significant impact on the correctness of the whole system. It is therefore important for a rapidly deployed communication infrastructure to ensure a response within specified time constraints, often referred to as deadlines. In order to meet these stringent constraints, several networking challenges need to be solved. One of the major problems is the need for a robust resource management framework, starting with an efficient routing protocol.

The Backpressure routing algorithms, which have received much attention from the research community in recent years [2], are basically a good candidate in such situations. With their appealing mathematical properties, these protocols are proven to be, theoretically, throughput optimal and offering as well, a very satisfactory stability level. First introduced by Tassiulas and Ephremides [3], such simple queue-differential based scheduling and routing policy was shown to be able to stabilize the network under any feasible traffic rate vector [3]. However, even though it delivers maximum throughput by adapting itself to network conditions, there are several issues that have to be addressed before it can be widely deployed to transport traffic flows with strict end-to-end delay constraints.

As stated in the original paper [3], the Backpressure algorithm assumes the existence of a central controller with a global view of the whole network, to perform complex computations at each time slot. Such requirements in addition to the computational complexity are too prohibitive in practice [4]. Moreover, this algorithm requires maintaining a queue for each potential destination at each node, which may limit its scalability to large networks due to the induced excessive overhead. Decreasing the computational complexity and proposing distributed schemes for the classical Backpressure were the aim of a number of research works in recent years. For more details about these works we refer the reader to [2] which presents an in depth review of the most important recent results.

Besides the aforementioned issues, the Backpressure algorithm is also suffering from a serious limitation. In certain conditions, this protocol is known for its long routing convergence times and thus its inefficiency in terms of Quality of Service (QoS) delivery, especially the end-to-end delay. While this is not problematic in the context of delay tolerant applications, it is unacceptable in the case of traffic with strict end-to-end delay requirements [5]. Although several attempts have been made recently to enhance the legacy Backpressure performance in terms of the achieved end-to-end delay, none of them addressed the situation where multiple traffic flows, with different end-to-end delay requirements, are injected into the same network. In contrast, these works assume that the injected traffic flows exhibit similar characteristics, which is an unrealistic assumption.

Our main objective in this paper is to design a new Backpressure-based scheme able to provide the previous temporal aspect in per-flow basis. Besides ensuring the best performance for applications with strict QoS requirements, the
scheme must protect traffic flows with soft delay requirements from starvation (i.e. to receive zero or close-to-zero throughput). In the following, we summarize the main contributions of this work.

1) The consideration of more realistic assumptions regarding lower layers and the use of less complex queue management strategy, while proposing a new distributed Backpressure-based scheme with enhanced end-to-end delay performance.

2) The routing layer of the proposed scheme is able to adjust the forwarding decision depending on the urgency level of each packet, in a way to prioritize traffic flows with strict end-to-end delay requirements.

3) The proposed scheme, while prioritizing these latter flows, is still able to avoid the starvation of traffic flows with soft requirements, by providing a minimum throughput for them, even in congested situations.

The remainder of this paper is organized as follows. We first present the main reasons behind the delay inefficiency of the Backpressure and briefly review the related enhancements proposed in the literature. In Section III we describe in detail the design aspects and basic components of our scheme. The simulation setup and performance evaluation are presented in Section IV. Finally, Section V concludes the paper and summaries the future perspectives.

II. BACKPRESSURE ALGORITHMS

In this section, we start with the system model and a brief description of how routing decisions are made in the classical Backpressure protocol. Then, we present a review of the basic reasons behind the delay inefficiency of this protocol with discussion of the related works in the literature.

A. System Model

Let us consider a wireless multi-hop network described by a directed graph $G = (N, L)$, where $N$ denotes the set of nodes and $L$ refers to the set of links. Packets are injected at the source node and traverse multiple links to reach their destination via multi-hop communication. We assume that our system operates in a slotted time and that each link in the set $L$ is denoted by $(i, j)$ or $l$. The set of all per-destination traffic flows $f_{\alpha,N}$ crossing the link $(i, j)$ is represented by $F(i, j)$. For each traffic flow $f_i$ crossing a node $i$ a First-In First-Out (FIFO) queue $Q_i$ is maintained by this node, as illustrated in the example shown in Figure 1.

The maximum number of packets that a link $(i, j)$ can transmit at one time slot is called the link capacity and denoted as $\mu(i, j)$. The set of all links capacities defines the so-called network capacity vector $c$ which, in turn, constitutes the basic element of the network capacity region concept, denoted as $\Gamma$. Indeed, the collection of all possible network capacity vectors defines $\Gamma$. Table 1 recapitulates the main notations used throughout the rest of this paper.

The routing problem, investigated in this paper, consists then in performing routing control actions in a way to (1) maximize data transfer during the current time slot, (2) ensure an end-to-end delay performance in per-traffic flow basis, depending on the urgency of each traffic flow.

Figure 1: Example of a wireless multi-hop network of six nodes, with a closeup on the queues at each node. Three traffic flows are injected: the red ($f_1$) destined to node 1, the black ($f_3$) destined to node 3 and the blue ($f_6$) destined to node 6.

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Explanation</th>
</tr>
</thead>
<tbody>
<tr>
<td>$(N, L)$</td>
<td>The set of nodes $(N)$ and links $(L)$ in the network.</td>
</tr>
<tr>
<td>$(i, j)$</td>
<td>A link between nodes $i$ and $j$.</td>
</tr>
<tr>
<td>$f_c$</td>
<td>The traffic flow destined to the node $c$.</td>
</tr>
<tr>
<td>$F(i, j)$</td>
<td>The set of traffic flows crossing the link $(i, j)$.</td>
</tr>
<tr>
<td>$Q_i^{f_c}$</td>
<td>Local per-flow queue at the node $i$.</td>
</tr>
<tr>
<td>$\text{tag}_p$</td>
<td>The tag of the packet $p$.</td>
</tr>
<tr>
<td>$Q_i^{\text{tag}_p}$</td>
<td>The queue associated to the packets with the tag $\text{tag}_p$.</td>
</tr>
<tr>
<td>$\mu(i, j)$</td>
<td>Capacity of the link $(i, j)$ or the amount of data that can be transferred over it in the current time slot.</td>
</tr>
<tr>
<td>$c$</td>
<td>The network capacity vector or the set of all the links capacities $(\mu(i, j), j \in L)$ in the network.</td>
</tr>
<tr>
<td>$\Gamma$</td>
<td>The network capacity region defined by the collection of all possible network capacity vectors $c$.</td>
</tr>
</tbody>
</table>

Table 1: Notations summary

B. Backpressure - the legacy version

Unlike classical routing protocols, Backpressure routing does not perform any explicit path search from source to destination. Instead, as illustrated in Algorithm 1, the routing decisions are made independently for each packet by solving, at each time slot, two principal problems at two different levels. Firstly, the Flow selection problem at the local level (i.e. at the node level), secondly Link scheduling problem occurring at the global level (i.e. at the network level).

1) Flow Selection or Packet selection: At this phase, the aim consists in deciding for each link $(i, j) \in L$ (cf. Table 1), which traffic flow (i.e. packet) is candidate for the next forwarding operation. To do so, firstly, each node $i \in N$ computes for each outgoing link a weight as a function of a local per-
flow queue $Q_i^{f_c}$. For a given flow $f_c$ and a link $(i,j)$, we denote by $W_{(i,j)}^{f_c}$ the weight, also referred to as Backpressure, such that:

$$W_{(i,j)}^{f_c} = Q_i^{f_c} - Q_j^{f_c}$$ (1)

Next, based on the computed weights, the flow $f^*$ that maximizes the local queue differential i.e. the flow having the maximum link weight $W_{(i,j)}^{*}$, is selected. The computed $W_{(i,j)}^{*}$ is therefore expressed as follows:

$$W_{(i,j)}^{*} = \max_{c \in F(i,j)} W_{(i,j)}^{f_c}$$ (2)

2) Link Scheduling: In the second phase of the legacy Backpressure, a set of links are selected to be activated simultaneously among the list of all non-conflicting links in the network [4]. Scheduling a set of links to transmit concurrently is, therefore, a matter of selecting one link capacity vector $c^* \in \Gamma$ that satisfies the Equation (3), where the weight $W_l^*$ refers to the maximum link weight $W_l^*$ computed at the previous phase.

$$c^* = \arg\max_{c \in \Gamma} \sum_{l \in L} \mu_l W_l$$ (3)

As a final step, and for each link $l \in L$, a transmission rate $\mu_l$ is offered to the corresponding flow $f^*$. Notice that $f^*$ refers to the flow selected over the link $l$ during the previous phase (flow selection). We refer the reader to [3] for an accurate mathematical analysis of the Backpressure algorithm and to [6] for further details about it in addition to some illustrative examples.

C. Overcoming the delay limitation of the Backpressure

The previous legacy version of Backpressure has been proven mathematically to stabilize the network i.e maintains finite queues at every time instant. Packets were able to find their way by simply moving in the direction of the decreasing backlog [7]. However, such simple strategy can often lead to a significant large latency due to the following reasons [15]:

- Firstly, the Backpressure suffers from the so called slow start phenomena, that is, in case of a slightly loaded network, packets may take unnecessarily long routes. While this extensive exploration is essential when the network is heavily loaded in order to maintain its stability (i.e. load balancing over the whole network), under light or moderate loads the situation can lead to a significant QoS deterioration, especially in terms of end-to-end delay.

- Secondly, the fluctuation in terms of queue backlog eventually leads to routing-loops formation causing long packet delays [10].

- Thirdly, the so-called last packet problem. This issue is basically caused by the absence of consistent Backpressure toward the destination, which is the case with low-rate flows or short-lived injected packets [10, 12].

The above mentioned delay inefficiency of Backpressure was the key driver behind several works in the literature. To overcome the slow start phenomena, Neely et al. added a new constant shortest path bias (parameterized by a per-link cost $B$) to the Backpressure (BP) calculation [7]. Nodes are therefore willing to route packets in the direction of their destinations [14]. The authors of [5], however, improved the achieved delay by proposing a joint traffic-splitting (parametrized by a parameter $K$) and shortest-path-aided Backpressure routing protocol. In this scheme, the per-destination queues of the legacy Backpressure are replaced by a new hop-queues structure, where each node maintains the same queue $Q_h$ for the packets to be delivered to a destination within $h$ hops. The objective is to minimize the average number of hops per packet delivery, thereby minimizing the end-to-end propagation delay. As shown in Table [11] one potential challenge for these works is that their performance depends to a large extent on the choice of the parameters $K$ and $B$. In fact, this creates another challenge since the optimal values of these parameters vary depending on the traffic load, which is difficult to predict in advance.

To reduce packet loops, the authors of [10] propose to introduce redundant packets to build up gradient towards destinations in a faster way. Following the same intuition, a new shadow queuing architecture is proposed in [11] wherein, instead of redundant packets, a fictitious queuing system in addition to a new per-neighbor physical queues at each node (instead of per-destination queues) are designed. A common

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1Note that the classical Backpressure assumes that each node $i$ maintains a separate queue $Q_i^{f_c}$ for each per destination flow $f_c$.  

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**Algorithm 1 Backpressure, the legacy version**

- **Step 1**: Packet selection
  - for all links $(i,j) \in L$ do
    - for all flows $f_c \in F(i,j)$ do
      - $W_{(i,j)}^{f_c} \leftarrow Q_i^{f_c} - Q_j^{f_c}$
    - end for
    - $W_{(i,j)}^{*} \leftarrow \max_{f \in F(i,j)} W_{(i,j)}^{f_c}$
    - $f_{(i,j)}^* \leftarrow \arg\max_{f \in F(i,j)} W_{(i,j)}^{f_c}$
  - end for

- **Step 2**: Link scheduling
  - for all $c \in \Gamma$ do
    - $Sum_c \leftarrow \sum_{l \in L} \mu_l W_l^*$
  - end for
  - $c^* \leftarrow \arg\max_{c \in \Gamma} Sum_c$

- Data transfer based on the selected $c^*$
  - for all $(i,j) \in L$ do
    - $(Q_i^{f_{(i,j)}^*} - Q_j^{f_{(i,j)}^*}) > 0$
    - Transfer $p_{(i,j)}^*$ data units of $f_{(i,j)}^*$ from $Q_i$ to $Q_j$
  - end for
<table>
<thead>
<tr>
<th>Scheme</th>
<th>Architecture</th>
<th>Queues Management Strategy</th>
<th>Key principle</th>
<th>Limitations</th>
</tr>
</thead>
<tbody>
<tr>
<td>Joint Routing and Power Allocation Backpressure [7]</td>
<td>Distributed</td>
<td>Per-flow</td>
<td>Incorporating an additional progress-to-destination metric in BP (Backpressure) calculation.</td>
<td>Performance depends on the choice of internal parameters which are difficult to predict in advance.</td>
</tr>
<tr>
<td>Shortest-path Aided Backpressure [5]</td>
<td>Centralized</td>
<td>Per-hop</td>
<td>Introducing redundant packets when queue occupancy is low</td>
<td>Greater number of transmissions due to the introduced redundancy.</td>
</tr>
<tr>
<td>Distributed Variable-V Backpressure [8][9]</td>
<td>Distributed</td>
<td>Per-node</td>
<td>Using shadow packets (as counters) instead of redundant packets.</td>
<td>Delay enhancement at the expense of the throughput degradation, in addition to the pre-computed routes assumption.</td>
</tr>
<tr>
<td>Backpressure with Adaptive Redundancy [19]</td>
<td>Distributed</td>
<td>Per-flow</td>
<td>Pre-computed routes assumption.</td>
<td>No consideration for the urgency of each flow.</td>
</tr>
<tr>
<td>Backpressure with Shadow Queuing [11]</td>
<td>Centralized</td>
<td>Per-neighbor</td>
<td>Using the sojourn-time difference instead of the queue-length-based BP.</td>
<td>No consideration for the urgency of each flow.</td>
</tr>
<tr>
<td>Delay-based Backpressure [12]</td>
<td>Centralized</td>
<td>Per-flow</td>
<td>Introducing a virtual backlog mechanism with LIFO service discipline</td>
<td>An arbitrary fraction of packets to be dropped.</td>
</tr>
<tr>
<td>Fast Quadratic Lyapunov based Backpressure [13]</td>
<td>Centralized</td>
<td>Per-flow</td>
<td>Incorporating ‘beyond one hop’ queue state information in BP calculation.</td>
<td>The need for additional overhead to get information beyond one hop, which increases the network load.</td>
</tr>
<tr>
<td>General Queue-dependent Backpressure [14]</td>
<td>Distributed</td>
<td>Per-flow</td>
<td>Performance depends on the choice of internal parameters which are difficult to predict in advance.</td>
<td>No consideration for the urgency of each flow.</td>
</tr>
</tbody>
</table>

Table II: A summary and comparison of the described Backpressure-based schemes with enhanced delay performance.

Challenge for all the above schemes is that they are built upon the assumption of a fixed routing scenario, i.e. the route for each flow is chosen upon arrival using some standard wireless multi-hop networks routing algorithms and the Backpressure algorithm is simply used to schedule packets transmission [7].

Other works focused on alleviating the last packet problem, such as [12] in which the authors proposed D-BP (Delay-based Backpressure) that uses the sojourn-time difference as a new metric instead of the queue-length-based BP. As the previous works, the main drawback of this scheme is the fact that it is destined to wireless multi-hop networks with pre-calculated route too. The authors of [13] used a virtual backlog process with LIFO (Last In Last Out) service discipline on top of the legacy Backpressure. In fact, this introduced idea improved the order of the utility-delay tradeoff, but at the expense of an arbitrary fraction of packets to be dropped [14]. More recently, a new class of enhanced BP-based algorithms was introduced in [14]. This class incorporates the global queue state information (beyond one hop) instead of the only one-hop queue size difference used in computing the Backpressure values. However, this solution implies an additional overhead induced by the mechanism used to get such information beyond one hop, which leads to an increasing network load.

Finally, the works proposed in [8] and [9] combine both delay and queue complexity reduction for regular (i.e., grid-like) wireless mesh topology (referred to as Distributed Variable-V Backpressure, or DVV-BP, in Performance Evaluation section). Both schemes proposed an interesting control mechanism based on the Lyapunov drift-plus-penalty optimization framework introduced in [17]. This mechanism consists in adding an additional progress-to-destination term, based on Geo-location, to the Equation (1), which enables a better trade-off between two types of routing decisions. Routing decisions that aim to achieve network stability (i.e. keep the queues under control to prevent any overflow) and those aiming to reach near-optimal values for some objective performance metrics (e.g., end-to-end delay). The queue complexity is reduced in both schemes by maintaining a single queue in each node, instead of a per flow/destination queue as in the original Backpressure. However, despite its attractive low queues complexity, and similar to previous works, there is no consideration for the urgency of each traffic flow separately. The key principles and limitations of each of the above works are summarized in Table II.

While not being the firsts attempting to enhance the backpressure delay performance, as discussed previously, the motivation and design aspects behind our proposal differ significantly from the aforementioned works. Apart from the aim for a distributed scheme and a queue management with low complexity, the main driver of our proposal is to enable differentiation between flows based on the urgency level of each flow. The proposed strategy prioritizes flows with strict end-to-end delay requirements, without sacrificing flows with less strict end-to-end delay requirements. A detailed description of our proposal is provided in next section.

### III. LIFE-TIME-AWARE BACKPRESSURE

Our proposal is based on the drift-plus-penalty framework introduced in [17]. In this framework, instead of calculating the weight as in Equation (1), a new component is added as follows:

$$W_{i,j} = (Q_i - Q_j) - V \ast P(i, j, d)$$  \hspace{1cm} (4)$$

where $(Q_i - Q_j)$ is the difference in queue backlog between nodes $i$ and $j$. The additional term $P(i, j, d)$ is used to minimize the distance covered by a packet from the source node to the destination $d$, and is computed as the cost of traversing the link $(i, j)$ in the path leading to $d$. The framework involves taking routing actions to minimize the cost function, subject to maintaining the stability of queues in the network. For instance, the following function is the penalty function used...
in \cite{8}:

\[
P(i, j, d) = \begin{cases} 
  +1 & \text{if } j \text{ farther to } d \text{ than } i \\
  -1 & \text{if } j \text{ closer to } d \text{ than } i
\end{cases}
\]  

This penalty function is weighted by \( V \geq 0 \), where \( V \) is a parameter representing how much we emphasize the penalty minimization. As illustrated in Figure 2, \( V \) enables a trade-off between the queue based-component \( \Delta Q_{ij} \) and the penalty function \( P(i, j, d) \). A low value for \( V \) means a high emphasis on queues stability \( \Delta Q_{ij} \) and so a more load balancing oriented Backpressure. In the opposite case, a high value to \( V \) means a high emphasize on minimizing the distance towards the destination \( d \) (penalty function component), which is reflected by the selection of the shortest path in Figure 2.

The intuition behind our contribution is based on the previous control mechanism. The main idea consists in adding a pre-routing phase prior to performing any computation and choosing the next hop. In this phase, we categorize the traffic flows in terms of end-to-end delay requirements and compute the \( V \) value, in per-packet fashion, depending on the age of the packet and the urgency level of its corresponding flow. To the best of our knowledge, this is the first work which leverages the parameter \( V \) in prioritizing traffic flows based on their end-to-end delay requirements.

The overall proposal is organized into two phases, namely: Pre-routing calculation phase, and the Routing decision phase. In the following, we will provide a detailed overview on each phase.

A. Pre-routing phase

In this phase, one urgent packet is selected among the enqueued ones and assigned a value of \( V \) according to its urgency. To achieve this, four basic steps need to be undertaken, as illustrated in Algorithm 2 and explained in the following.

1) Packet Queuing : we assume that the injected traffic flows are categorized based on their end-to-end delay requirements. Each packet \( p \) is therefore tagged with \( tag_p \) depending on the category of its flow. For scalability concerns, we limit the number of categories to four, each with a specified tags, namely: “High+” for very high (critical) urgency, “High” for high urgency, “Med” for flows with medium urgency and “Low” for low urgency (Figure 3). Any arriving packet \( p \) is placed in one of the available four queues, corresponding to the above defined categories. A LifeTime value is associated with each queue and used as a deadline, after-which the information conveyed by the queued packets starts to lose its utility. In other words, whenever possible, the age of a given packet \( p \) \( (Age_p) \) should not exceed the LifeTime of its queue \( Q[\text{tag}_p] \). Where \( Age_p \) refers to the cumulative delay from the source node to the current node.

\[
\text{Urgency}_P = \frac{Age_p}{\text{LifeTime}_{Q[\text{tag}_p]}}
\]  

2) Urgency Calculation: Let HoLs be the set of packets at the Head of Line position in the four previous queues. In this step, an Urgency value is calculated for each packet \( P \in \text{HoLs} \). As illustrated in Equation (6), the Urgency of a packet \( P \) depends on the ratio between its \( Age \): \( Age_p \), and the LifeTime of its associated queue \( Q[\text{tag}_p] \).

3) \( P^* \) Selection : As shown in Figure 4, one packet \( P^* \in \text{HoLs} \) is selected in this step, based on the Urgency values

![Figure 2: Heatmaps illustrating the degree of traffic distribution as a function of \( V \), in a 9x9 grid network where nodes are labeled from (0,0) to (8,8)](image)

![Figure 3: Illustration of packets queuing process in the defined four categories](image)
calculated previously. Using the formula in Equation (7), the most urgent packet in HoLs is selected as follows.

\[ P^* = \arg \max_{P \in \text{HoLs}} \text{Urgency}_P \quad (7) \]

4) \text{V Calculation}: This step consists in calculating a new value for the routing parameter \( V \), using the maximum queue length \( Q_{\text{max}} \), in a way to reflect the urgency of the selected packet \( P^* \) (Equation (8)):

\[ V(P^*) = Q_{\text{max}} \cdot \text{Urgency}_{P^*} \quad (8) \]

To better understand the intuition behind Equation (8), let us discuss more about the variation of \( V \) as a function of the packet’s age. To this end, we identify three cases as follows:

1) \text{Age}_p < \text{Lifetime}_{Q^{[\text{tag}p]}}: In this case, the age of the packet is too small compared to the corresponding Life-Time. Based on Equation (5) \( \text{Urgency}_p \), is assigned a low value, which implies a low value for \( V(P^*) \) based on Equation (8). The penalty component consequently, is given less importance when calculating the next hop according to Equation (4). This is due to the fact that there is no imminent necessity to transmit the packet \( P^* \), and instead the priority is to ensure queues stability through load balancing.

2) \text{Age}_p < \text{Lifetime}_{Q^{[\text{tag}p]}}: As soon as the age of a packet approaches its LifeTime, we gradually assign a higher value to \( V \). In contrast to the previous case, by assigning higher value to \( V \), we give more weight to the penalty function component and therefore we direct the packets toward a closer to destination neighbor, among all one hop neighbors.

3) \text{Age}_p > \text{Lifetime}_{Q^{[\text{tag}p]}}: At this stage, the ultimate priority is to reach the destination as soon as possible. To do so, the next node should compulsory be a closer neighbor to the destination. To enforce such a choice, the routing calculation for the current packet must be based only on the penalty function component. Since the load balancing component \( \triangle Q_{ij} \) will never exceed \( Q_{\text{max}} \) (\( \forall (i, j) \in L : \ \triangle Q_{ij} \leq Q_{\text{max}} \)), the calculated \( V \) must therefore be greater or equal to \( Q_{\text{max}} \).

\[ \triangle Q_{ij} \]

Figure 4: Packet \( P^* \) selection based on \text{Urgency} values

Algorithm 2 Pre-Retouing Phase

\[ \text{Pre-Retouing Phase} \]

\[ \text{Input}: \ Packet \ p \]
\[ \text{Output}: \ Parameter \ V \]

\[ \triangleright \text{Step 1: En-queuing } p \]
\[ \text{Tags} \leftarrow \{\text{High}, \text{High}, \text{Med}, \text{Low}\} \]
\[ \text{tag}_p \leftarrow \text{ExtractTag}(p) \]
\[ Q^{[\text{tag}]} \_\text{enqueue}(p) \]

\[ \triangleright \text{Step 2: Urgency calculation for each packet at the head of line position in } Q^{[\text{tag}]} \]
\[ \text{HoLs} \leftarrow \{\text{HoL} : \text{HoL} = Q^{[\text{tag}]} \_\text{getHoL}(), \text{tag} \in \text{Tags}\} \]

\[ \text{for all packets } \text{HoL} \in \text{HoLs} \]
\[ \text{tag}_{\text{HoL}} \leftarrow \text{ExtractTag}(\text{HoL}) \]
\[ \text{Urgency}_{\text{HoL}} \leftarrow \text{Age}_{\text{HoL}} / \text{LifeTime}_{Q^{[\text{tag}]}\_\text{getHoL}} \]
\[ \text{end for} \]

\[ \triangleright \text{Step 3: } P^* \text{ Selection} \]
\[ P^* \leftarrow \arg \max_{\text{HoL} \in \text{HoLs}} \text{Urgency}_{\text{HoL}} \]

\[ \triangleright \text{Step 4: V Calculation} \]
\[ V_{P^*} \leftarrow Q_{\text{max}} \cdot \text{Urgency}_{P^*} \]

\[ \text{return } V_{P^*} \]

B. Routing decision phase

The objective of the previous phase is achieved by the selection of the most urgent HoL packet. The selected packet is assigned a high, medium or low value of \( V \) depending on its urgency. Since the value of \( V \) has a direct impact on the forwarding process (Figure 2), the key idea of this phase is to exploit these results in the selection of the next hop.

As discussed previously, selecting the next hop is made based on Equation (4). To forward the selected packet, a node \( i \) calculates the value \( W_{(i,j)} \) for each neighbor node \( j \), then the node with the maximum Backpressure value \( W^* \) is chosen as next hop in the routing path. Depending on the urgency of the packet, the selected node could be a closer to the destination, among node \( i \)’s neighbors (in case of an urgent packet i.e. with a high \( V \)), or the less congested node (in case of a non-urgent packet i.e. a lower \( V \)). The overall view of our system including the different steps involved in the proposed scheme is shown in Figure 5.

IV. PERFORMANCE EVALUATION

In this section, we validate our proposal by conducting a set of simulation experiments, collecting the results and analyzing them in detail. First, we briefly present the simulation setup and the chosen evaluation parameters. Then, we illustrate how the different internal parameters can affect the total behavior of our system. Finally, we present a comparative experiment in which we compare the performance of our proposal against another state of the art backpressure-based routing protocol (i.e. the work presented in references [8] and [9] and discuss the results.)
A. Simulation Setup

We have conducted all the simulations using ns-3 [18]. As listed in Table III, the duration of each simulation is set to 50 seconds. The simulated network is a grid backhaul of wireless nodes (See Figures 6 and 10), where each node is equipped with a single IEEE 802.11a WiFi interface configured to operate on the same channel at a link rate of 54 Mbps, as well as the same Carrier Sense ranges.

<table>
<thead>
<tr>
<th>Simulation Time</th>
<th>50 sec</th>
</tr>
</thead>
<tbody>
<tr>
<td>Traffic Generators</td>
<td>Constant Bit Rate (CBR)</td>
</tr>
<tr>
<td>Transport Layer</td>
<td>User Datagram Protocol (UDP)</td>
</tr>
<tr>
<td>Packet size</td>
<td>1500 bytes</td>
</tr>
<tr>
<td>Data queue size</td>
<td>400 packets</td>
</tr>
<tr>
<td>HELLO period</td>
<td>100ms</td>
</tr>
<tr>
<td>MAC Layer</td>
<td>IEEE 802.11a</td>
</tr>
<tr>
<td>Data Rate</td>
<td>54 Mbps</td>
</tr>
<tr>
<td>Propagation Model</td>
<td>Constant Speed Propagation Delay Model</td>
</tr>
</tbody>
</table>

Table III: Simulation Parameters

To exchange information about queues size, we used a decentralized method that solely requires HELLO based communication between neighboring nodes. For optimal operation, each node is required to exchange HELLO messages at a constant rate of 10 packets per second (i.e. a period of 100ms).

B. Illustrative experiments

1) Experiment 1: In order to illustrate the effect of using different LifeTime values on the overall behavior of our system, we focus in this experiment on one generic queue corresponding to one traffic flow category. The 5x5 grid topology used in this experiment is shown in Figure 6. A CBR traffic flow is sent from node 14 to the node 10 using different input rates (i.e. 100 kbps, 200 kbps and 500 kbps). We repeat the same experiment 10 times with an increase in the LifeTime by 100 ms each time, up to 1000 ms (1 sec).

The plotted results in Figure 7 reveal the impact of incrementing the LifeTime value on the total number of forwarding decisions. Under the same input rate, we notice that as long as we increment the LifeTime value, forwarding decisions are made more frequently. This effect is more apparent in case of higher input rate (i.e. 500 kbps) since more packets are injected and hence more forwarding decisions are made.

The reason behind this correlation is the close relationship in our control mechanism between (i) the LifeTime of a queue and the urgency calculation of its enqueued packets, (ii) the urgency of the packet to be forwarded and the load balancing tendency of the system. In fact, according to Equation (6), by incrementing the LifeTime value of a queue, we are proportionally penalizing the enqueued packets by decreasing their urgency. This means a low value for $V$ according to Equation

Figure 6: The topology used in the illustrative experiment, where a single UDP flow is sent from node 14 to node 10

Figure 7: The impact of incrementing the LifeTime value on the total number of forwarding decisions.
Figure 9: Packets distribution heatmaps for (a) High urgency traffic flow with LifeTime = 1ms, (b) Low urgency traffic flow with LifeTime = 10sec

Figure 7: Impact of the LifeTime value on the total number of packets forwarding

Figure 8: Impact of the LifeTime value on the achieved Average End-to-end delay

and therefore a tendency of the system to enlarge the amount of explored routes (i.e., more load balancing). Such behavior means two things; firstly the number of forwarding actions will grow proportionally (since more nodes are visited), secondly, the corresponding end-to-end delay will augment by the same pace. This latter conclusion about the delay is confirmed by the results shown in Figure 8.

2) Experiment 2: This experiment aims to confirm our previous analysis by examining the behavior of our system when dealing with heterogeneous traffic flows. The experiment is conducted using the same network topology shown in Figure 6. Using the same pair of nodes (i.e., node 14 as source and node 10 as a destination) we inject two traffic flows with different requirements in terms of urgency.

We use heatmaps to examine the packets distribution in both cases as depicted in Figure 9. A heatmap is visually easy to interpret since it is color coded. Here, the degree of darkness visually reflects the number of forwarding decisions made at a specific node. A node forwarding a large number of packets is represented by black squares (e.g., the source node 14 at the position (4,2)) and a node with a smaller value is represented by a lighter squares (e.g., node 20 at the position (0,4)). The heatmap showing all the nodes gives us an idea about how the forwarding is performed from a global perspective.

Figure 9 confirms our prior analysis as we clearly notice the different forwarding patterns for each traffic flow. Figure 9(a) depicts the packets distribution of the High urgency traffic flow, in which we observe that a few nodes only are involved in the forwarding process. In contrast, Figure 9(b) shows that almost all nodes are involved in forwarding Low urgency traffic flow packets. Such behavior is the reason behind the results obtained in the previous experiment. Using different values for LifeTime intends to enable load balancing at different degrees. In case of High urgency traffic flow, the load balancing is not allowed, except of the source node’s neighbors (i.e., the nodes 9, 8, 13, 18, 19 shown in Figure 6) where we can see some sort of load balancing. Figure 9(b), however, illustrates the opposite since the constraints are softer here, thus the load balancing is more likely to be allowed at a higher degree.

3) Experiment 3: In a grid topology of 7x7 nodes (Figure 10), we repeat the previous experiment using different pairs of LifeTime values. The aim is to analyze the effect of using close (adjacent) LifeTime values for both traffic flows (e.g., (5ms, 5ms) meaning that 5ms as a LifeTime for High+ urgent flow and 5ms for the other one) or more distant values such as (5ms, 200ms) or (5ms, 500ms). This effect is analyzed by gradually increasing the input rate up to 10 Mbps. Figure 11 shows the results for urgent traffic flows in terms of the achieved average end-to-end delay, throughput and Packet
Delivery Ratio (PDR).

As shown in Figure 11, the use of distant LifeTime values for urgent/non-urgent traffic flows allows urgent traffic to experience a better QoS up to a certain limit. The reason behind such performance is the load balancing-based control mechanism previously discussed in experiment 2. This mechanism relaxes the congested nodes (i.e. nodes which are busy in forwarding urgent traffic) by pushing away less urgent packets, thereby urgent packets are delivered with lower end-to-end delay and higher throughput. From these results we conclude that the difference (i.e. the gap) between the chosen LifeTime values plays a key role in determining the achieved performance. The bigger the difference between the two values, the higher QoS the urgent traffic will experience. However, at a certain level, this difference becomes less apparent since the load balancing is limited physically by the size of the network.

C. Comparative experiment

In this experiment, we compare the performance of our scheme with Variable V scheme proposed in [9] (referred to here as DVV-BP). In the same grid topology (Figure 10), we send the same traffic flows with the LifeTime pair (5ms, 500ms), and repeat the simulation several times with an increase of the input rate by 1 Mbps each time, up to 10 Mbps. Results are obtained by averaging values from 100 runs with different seeds using the High Performance Computing Platform IBN-BADIS.

Figures 12, 13 and 14 depict the obtained results in terms of End-to-end delay, throughput and PDR. The results plotted in Figures 12 and 13 highlight the superiority of our scheme over DVV-BP, under different evaluation metrics. In terms
of throughput and starting from an input rate of 5 Mbps, our scheme clearly outperforms DVV_BP with an incrementing throughput up to 7.3 Mbps. The same trend is observed for the PDR where we observe a sharp degradation for DVV_BP performance, especially under higher input rate values. In contrast, to avoid such QoS deterioration, our scheme as discussed previously, tends to alleviate the congestion at the shortest paths by pushing away less urgent packets to less congested nodes.

Figure 13: Average End-to-end delay for urgent traffic flows (High+ urgency) under different input rates: our scheme (LTA-BP) vs. Dynamic variable V scheme (DVV-BP)

In terms of end-to-end delay, both schemes perform well under input rates lower than 5 Mbps although our scheme is slightly better than DVV_BP when the input rate is between 3 and 5 Mbps, as shown in Figure [13]. Beyond 5 Mbps, the average end-to-end delay tends to increase under both schemes but with different paces. In DVV_BP, the achieved delay exhibits sharp increase till it reaches a peak value of 5.5 sec after which it stabilizes, whereas in our scheme the delay shows a less aggressive increase till it attains the same peak value when the input rate reaches 10 Mbps. This performance degradation is due to the same reason discussed above; as reducing the load at the shortest path allows urgent flows to reach their destination faster, especially in highly loaded scenarios. However, under 10 Mbps input rate, the network reaches its full capacity (i.e., the sum of 10 Mbps for each traffic flow) and thus traffic flows suffer from high end-to-end delay in both schemes.

Figure 14: Throughput variation for less urgent traffic flows (low urgency) under different network loads

Figure [14] depicts the throughput variation of less urgent traffic flows when using our scheme. By inspecting the results shown in this figure, we reveal that up to 5 Mbps of input rate the achieved throughput is proportional to the input rate value. However, beyond 5 Mbps of input rate, this type of traffic flow suffers from a severe deterioration, almost 80% decrease, of the throughput (from 5 Mbps to 1 Mbps). Despite this severe decrease, resulting from delaying these flows in order to offer a better QoS to traffic flows with more strict delay requirements (high+ urgency), our scheme do not fall in an endless starvation situation of less urgent traffic flows. Notice that a starvation situation or state refers to the undesirable state in which a specific traffic flow receives zero or close-to-zero throughput [19]. As illustrated in Figure [14], and even in highly loaded situations, our scheme is able to protect these flows from total starvation by ensuring a minimum throughput of 1 to 2 Mbps. Such minimum throughput is the result of the novel approach of calculating the urgency in our scheme. The approach consisted in considering any packet, regardless of its type, as urgent as soon as it approaches its deadline. Therefore, since every packet belonging to a less-urgent traffic flow will get closer to its deadline at a certain time point, it is automatically treated as urgent packet and the forwarding process acts upon this consideration while selecting the next hop.

V. CONCLUSION

In this paper, we dealt with the delay inefficiency issue of dynamic Backpressure family protocols and proposed a new scheme, dubbed LifeTime-Aware BackPressure (LTA-BP), to overcome this limitation. The novelty of our scheme lies in its ability to adjust the routing pattern depending on the delay requirement of each traffic flow, thanks to our
urgency calculation approach. The ultimate goal of LTA-BP is to offer an enhanced QoS for real-time applications with strict end-to-end delay requirements while avoiding the starvation of other applications with eventually softer end-to-end delay requirements. We conducted a set of experiments using ns-3 simulator running on the High Performance Computing Platform IBNBA(DIS), and the obtained results have demonstrated the efficiency of LTA-BP and its supremacy over another state of the art scheme. As a future work, we plan to extend our scheme to accommodate extremely strict requirements of traffic flows carrying various data types in real-world disaster response scenarios. In such scenarios, the QoS level offered to each packet depends on several factors related to the critically of the information carried in the packet, the physical location of the sender etc.

REFERENCES


Abdelbaset KABOU is a full-time researcher at the Research Center on Scientific and Technical Information (CERIST), Algiers, Algeria. He received a Magister degree in software and network engineering and an Engineering degree in computer science with majors from USTO-MB University, and the University of Béchar (Algeria) in 2007 and 2010, respectively. Currently pursuing a Ph.D. degree at the National Higher School of Computer Science (ESI), Algiers, Mr KABOU’s research interests include networking with a focus on routing, stochastic optimization and quality of service.

Nadia Nouali-Taboudjemat is a permanent full-time senior researcher at the Research Center on Scientific and Technical Information (CERIST) in Algiers, where she is leading the Theory and Engineering of Computer Systems Division and the Ubiquitous Systems Group (UbSys). She obtained the Engineer degree, the Magister degree, and the Ph.D. in computer science from the University of Science and Technology (USTHB), the Advanced Technologies Research Centre and USTHB, all in Algiers, Algeria. Her recent focus includes Big Data, computing with a particular interest on the application domain of ICT-based disaster management, smart cities and sustainable environment.

Soufiene Djahel is a Senior Lecturer at Manchester Metropolitan University (UK) since Sep. 2015 and was an Engineering Research Manager at University College Dublin (UCD, Ireland) from Feb. 2012 to Sep. 2015. Before joining UCD, he was a postdoc fellow at ENSIEE (France). He got his Ph.D. degree in computer science in Dec. 2010 from Lille 1 University-Science and Technology (France). His research interests include Intelligent Transportation Systems (ITS), Security and QoS issues in wireless networks and E-health. He is senior member of the IEEE and serves as TPC member in many IEEE flagship conferences and as a reviewer for several IEEE journals in his research areas.

Said Yahiaoui is a full-time researcher with the Research Center on Scientific and Technical Information (CERIST, Algiers). He received his Magister degree in networking and distributed systems in computer science from Abderrahmane Mira University (Bejaia) in 2005 and his Ph.D. in computer science from Claude Bernard Lyon 1 University in 2013. Between 2007 and 2010, he worked as a research assistant at CERIST. His research interests include wireless communications, parallel and distributed computing, and graph algorithms.

Omar Nouali is currently a Director of Research and the head of the Security Department at the Research Centre on Scientific and Technical Information (CERIST), Algeria. PhD degree in computer science from USTHB in 2004. Research interests include information filtering and computer security.